

# Scenario Planning for Sea Level Rise via Reinforcement Learning

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**Abstract**—Climate change and sea level rise impacts will affect coastal communities with multiple threats, including increased frequency of compound events, such as storm surge combined with heavy precipitation. Accurately modeling how the stakeholders, such as governments and residents, may respond to sea level rise scenarios (i.e., scenario planning) can assist in the creation of policies tailored to local impacts and resilience strategies. In this paper, our contributions are twofold. Firstly, considering a single-agent model for government, we numerically show that the government’s policy on infrastructure improvement should be based on the observed sea levels rather than the observed cost from nature. The latter refers to the straightforward policy that any responsive (but not proactive) government would follow. Through a reinforcement learning algorithm based on a Markov decision process model we show that the precautionary measures, (i.e., infrastructure improvements triggered by the sea levels) are more effective in decreasing the expected cost than the aftermath measures triggered by the cost from nature. Secondly, to generate different scenarios we consider several sea level rise projections by NOAA, and model different government and resident prototypes using cooperation indices in terms of being responsive to the sea level rise problem. We present a reinforcement learning algorithm to generate simulations for a set of scenarios defined by the NOAA projections and cooperation indices.

## I. INTRODUCTION

Global climate change and its impacts, in terms of sea level rise, have been extensively documented, analyzed and projected [1]–[3]. Climate change and sea level rise impacts will affect coastal communities with multiple threats, including increased frequency of compound events - such as storm surge combined with heavy precipitation [4]. This exacerbates social vulnerability, particularly in underserved communities [5], [6]; stresses coastal ecosystems [7], [8]; and impacts local economies by affecting property values, the tax base, and the cost of insurance, among other factors [9]. Because of sea level rise, coastal communities are vulnerable to many of these impacts, and must build the adaptive capacity and resilience frameworks to respond to these stressors through effective decision support and planning [10].

Overall, better information is needed for governments, planners, coastal managers, and personnel in a variety of agencies for effective communication, decision making and adaptation planning [10], [11]. This requires the participation of key actors to communicate the science, the variability, and the risk of various scenarios to stakeholders [12]. Accurately modeling how these agents may respond to sea level rise scenarios can assist in the creation of policies tailored to local impacts and resilience strategies, and requires a variety of community

engagement and planning tools, including scenario planning [13]–[15].

Reinforcement learning (RL) provides a suitable theoretical framework for generating agent-based scenarios [16]. The RL agent interacts with the environment by taking an action at each time and receiving a cost/reward from the environment in return. The objective of the agent is to minimize/maximize an expected sum of costs/rewards over time by choosing optimal actions from an action set. At each time, as a result of agent’s action, the system moves to a new state according to a probability distribution. The optimal policy for deciding on actions maps system states to actions, i.e., determines which action to take in which state [17].

In this paper, we consider a city setup with government as the decision maker (i.e., RL agent), and nature and residents as the environment which the agent interacts with. Our contributions are twofold. Firstly, considering a single-agent model for government, we numerically show that a rational government’s policy on infrastructure improvement should be based on the observed sea levels rather than the observed cost from nature. The latter is the straightforward policy that any responsive (but not proactive) government would follow. Through simulations we show that the precautionary measures, (i.e., infrastructure improvements triggered by the sea levels) are more effective in decreasing the total cost than the aftermath measures, (i.e., infrastructure improvements triggered by the cost from nature). Secondly, to generate different scenarios we consider several sea level projections by National Oceanic and Atmospheric Administration (NOAA), and model different government and resident prototypes using cooperation indices in terms of being responsive to the sea level rise problem. The optimum policy depends on these cooperation indices, and can be found using reinforcement learning techniques. We present a reinforcement learning algorithm to generate simulations for a set of scenarios defined by the NOAA projections and cooperation indices.

The remainder of the paper is organized as follows. In Section II, the proposed RL model is explained. A reinforcement learning algorithm for finding the optimal policy is presented in Section III. Scenario simulations are given in Section IV, and the paper is concluded in V.

## II. RL PROBLEM FORMULATION

We investigate the problem of when to invest in infrastructure improvement against sea level rise, e.g., storm water drainage system, sea wall, levee, etc. Hence, at every time step, e.g., a year, government makes a decision  $x_n \in \{0, 1\}$  for infrastructure improvement. Accordingly, the current state of the city infrastructure against sea level rise is given by

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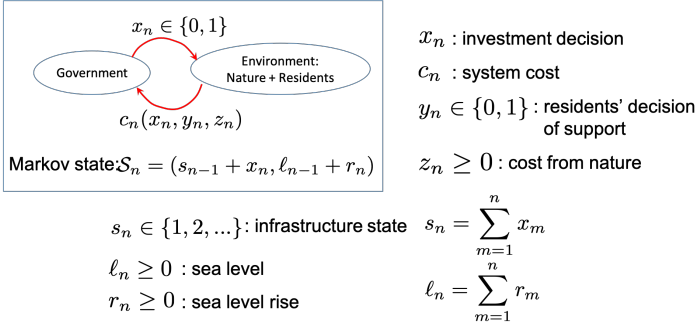


Fig. 1. Proposed MDP model.

$s_n = \sum_{m=1}^n x_m = s_{n-1} + x_n$ . Denoting the sea level rise in time interval  $n$  with  $r_n \geq 0$  the sea level is similarly given by  $l_n = \sum_{m=1}^n r_m = l_{n-1} + r_n$ . We define the system state  $\mathcal{S} = (s_n, l_n)$  as the pair of infrastructure state and sea level, which clearly satisfies the Markov property:  $P(\mathcal{S}_n | \mathcal{S}_{n-1}, \dots, \mathcal{S}_0) = P(\mathcal{S}_n | \mathcal{S}_{n-1})$ .

Let us denote the cost from nature at each time step with  $z_n$ , e.g., the cost of flooding, storm surge, hurricane, etc. Also denote with  $y_n$  the response of residents at each time step. In this work, we use a binary response  $y_n \in \{0, 1\}$  for the residents considering the residents' decision to support the government's investment for handling the sea level rise problem, e.g., by paying an extra tax. In this work, we investigate government's decision under sea level rise scenarios using a single-agent RL model. In this context, agent refers to the government, and environment refers to the nature and residents together. The responses  $x_n, y_n, z_n$  of government, residents, and nature, respectively, together define the agent's cost  $c_n = (2 - y_n)x_n + z_n$  at each time  $n$ . This cost is normalized by taking the investment cost  $(2 - y_n)x_n$  a unit cost with the resident support (two units without the resident support). The second component  $z_n$  is the normalized cost from nature with respect to the investment cost. Finally, the cumulative cost function for the agent is given by

$$C_N = \sum_{n=0}^N a_g^n [(2 - y_n)x_n + z_n], \quad (1)$$

which represents the total discounted cost in  $N$  time steps from now. The discount factor  $a_g \in (0, 1)$  determines the weight (i.e., importance) of future costs in agent's decisions. Aside from being a standard parameter in RL cost function,  $a_g$  has an important contextual meaning in this work. It represents how much the government values the future costs due to the sea level rise problem in its decision making process. Hence, we call  $a_g$  *government's cooperation index*.

The agent's objective is to minimize  $E[C_N]$  by choosing its actions  $\{x_n\}$  over time. This defines a Markov Decision Process (MDP), as summarized in Fig. 1. Every time agent takes an action  $x_n$ , environment reacts to that by incurring a cost  $c_n$ . Considering discretized sea level rise values  $\tilde{r}_n \in \{0, 1, 2, \dots\}$  the state transition diagram is given by Fig. 2. In our problem, environment consists of nature and residents. We next discuss suitable models for them to complete the proposed MDP model.

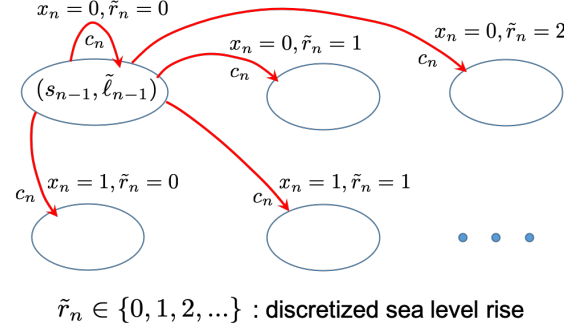


Fig. 2. MDP state transition diagram.

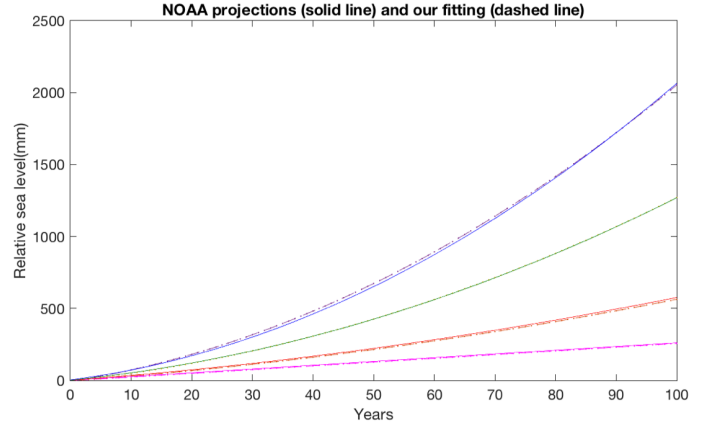


Fig. 3. NOAA projections (solid lines) for St. Petersburg, FL [18], and our curve fitting (dashed lines) for the expectation of Gamma distribution.

To model nature's cost we start with four different NOAA projections for sea level rise in St. Petersburg, FL [18], given by Fig. 3. Since these are some expected levels, in our simulations we account for uncertainty by modeling the sea level rise variable using a Gamma distribution,  $r_n \sim \text{Gamma}(\alpha, \beta)$ . We set  $\beta = 0.5$  and  $\alpha$  to match  $E[l_n]$  with the NOAA projection curves. The successful curve fitting shown Fig. 3 is obtained by setting  $\alpha = 5.2$  fixed for the low projection; by increasing  $\alpha$  from 6.3 to 16.596 with 0.104 increments for the intermediate-low projection; by increasing  $\alpha$  from 9.5 to 42.17 with 0.33 increments for the intermediate-high projection; and by increasing  $\alpha$  from 14 to 69.44 with 0.56 increments for the high projection. Then, we model nature's cost  $z_n$  using the Generalized Pareto distribution, which is commonly used to model catastrophic losses [19]. The parameter settings for  $z_n$  are given as

$$z_n \sim \text{GeneralizedPareto}(k, \sigma_n, \theta)$$

$$k = -0.001, \theta = 0, \sigma_n = \frac{\eta(l_{n-1})^a}{(s_{n-1})^b}. \quad (2)$$

Through the parameters  $\eta, a, b$  we control the impact of most recent sea level  $l_{n-1}$  over nature's cost  $z_n$  relative to the most recent infrastructure state  $s_{n-1}$ .

Residents' decision  $y_n$  is modeled using Bernoulli distribution with probability parameter designed through logistic

sigmoid function:

$$y_n \sim \text{Bernoulli}(p_n), p_n = \sigma(q_n) = \frac{1}{1 + e^{-q_n}}$$

$$q_n = \sum_{m=1}^{n-1} a_r^{n-m} x_m z_m, \quad (3)$$

where the score  $q_n$  reflects the willingness of residents to share government's investment costs based on the cooperation index  $a_r \in (0, 1)$ . It takes a high value, and yields a high probability of support if the residents' cooperation index is high ( $a_r \approx 1$ ), nature's cost has been serious and the government has been responsive especially recently. If at least one of these conditions do not exist, then  $q_n$  tends to get smaller values, decreasing the probability of support.

### III. FINDING THE OPTIMAL POLICY

RL provides a data-driven solution to MDP problems. It typically updates a value function  $V(s_n, \ell_n) = \min_{x_n} \mathbb{E}[C_N | x_n]$  in an iterative way based on the Bellman equation

$$V(s_{n-1}, \ell_{n-1}) = \min_{x_n} \mathbb{E}[c_n + V(s_n, \ell_n) | x_n, y_n]$$

$$= \min\{z_n + a_g V(s_{n-1}, \ell_n), 2 - y_n + z_n + a_g V(s_{n-1} + 1, \ell_n)\}. \quad (4)$$

The value function  $V(s_n, \ell_n)$  defines the optimal policy:

$$\begin{cases} x_n = 1 & \text{if } 2 - y_n + a_g V(s_{n-1} + 1, \ell_n) < a_g V(s_{n-1}, \ell_n), \\ x_n = 0 & \text{otherwise.} \end{cases} \quad (5)$$

Although there are several RL algorithms, in general the RL approach learns the value function by experiencing actions and the corresponding costs. In Algorithm 1, we provide an RL algorithm based on Monte-Carlo simulations to learn the optimal government policy on infrastructure investment actions.

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#### Algorithm 1 RL algorithm for learning optimum policy

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- 1: *Input:*  $a_g, a_r, \text{Returns}(s, \ell)$ : an array to save states' returns in all iterations;
  - 2: *Initialize:*  $V(s, \ell) \leftarrow 0, \forall s, \ell$ ;
  - 3: **for** iteration = 0, 1, 2, ... **do**
  - 4:   Generate an episode: Take actions using (5) for  $N$  steps
  - 5:    $G(s, \ell) \leftarrow$  sum of discounted rewards from  $(s, \ell)$  till termination for all states appearing in the episode;
  - 6:   Append  $G(s, \ell)$  to  $\text{Returns}(s, \ell)$ ;
  - 7:    $V(s, \ell) \leftarrow$  average( $\text{Returns}(s, \ell)$ );
  - 8:   **if**  $V(s, \ell)$  converges for all  $s, \ell$  **then**
  - 9:     **break**
  - 10:   **end if**
  - 11: **end for**
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Algorithm 1 runs several episodes to iteratively compute the value function  $V(s, \ell)$  for all feasible states. Each episode is a Monte-Carlo simulation in which several states are visited according to the current policy defined by the current value function. At the end of each episode the values of visited states are updated using the return, i.e., total discounted cost from a state until termination, from these states. After the state values

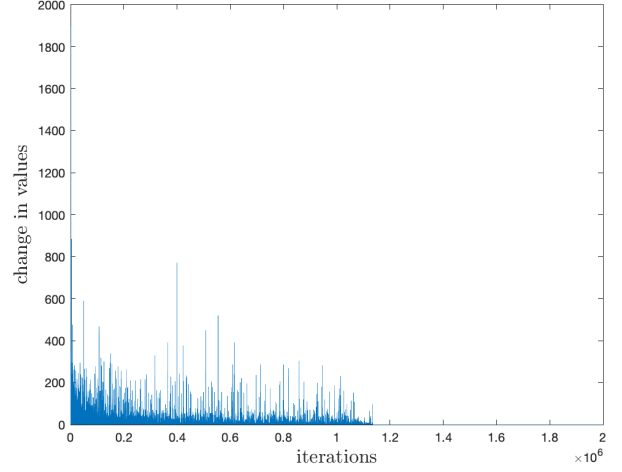


Fig. 4. Convergence of value function  $V(s, \ell)$  in Algorithm 1 for the NOAA's intermediate-low projection.

converge, the final state values are used for generating scenario simulations, as described in the next section. The convergence of Algorithm 1 is illustrated in Fig. 4.

### IV. SCENARIO SIMULATIONS

In this section, we present simulation results for several sea level rise scenarios. Throughout the section we use the parameters  $\eta = 2, a = 0.4, b = 0.5$  in (2) for the nature model. We obtain different scenarios by varying the cooperation indices  $a_g$  and  $a_r$  for the government and residents, respectively, and by considering different NOAA projections for sea level rise.

Fig. 4 shows the convergence of the state values  $V(s, \ell)$  in Algorithm 1 considering the NOAA int-low projection. For each scenario, once the converged state values are found, the resultant optimal policy is used to assess the cost of the RL-based government. Note that the RL-based government is proactive in dealing with the sea level rise problem as it monitors the sea level state together with the infrastructure state, and takes precautionary measures by improving the infrastructure whenever the expected future cost of not improving exceeds the improvement cost. Consider a reactive/responsive real-world government that follows a straightforward policy by improving infrastructure after experiencing a significant cost from the nature.

In Fig. 5, we compare the optimal RL policy with this straightforward policy in terms of average total cost in 100 years for the low and high NOAA sea level projections. It is seen that with the same number of investments on average the proactive policy that acts according to the sea level and infrastructure state instead of the ultimate cost from nature greatly reduces the total cost for the government.

Finally, in Fig. 6, we analyze the effect of cooperation indices. As expected, the average total cost decreases with growing cooperation index for both the government ( $a_g$ ) and residents ( $a_r$ ). The cost is more than tripled if both the government and residents are not cooperative ( $a_g = a_r = 0.1$ ) compared to the full cooperative case ( $a_g = a_r = 1$ ).

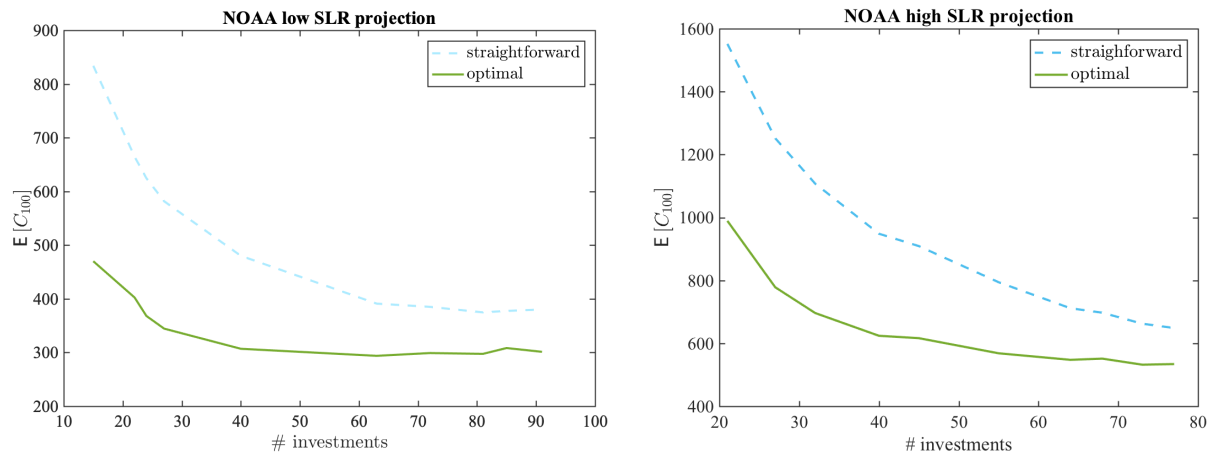


Fig. 5. Optimum policy vs. straightforward policy in terms of average total cost in 100 years for the low (left) and high (right) NOAA sea level rise projections.

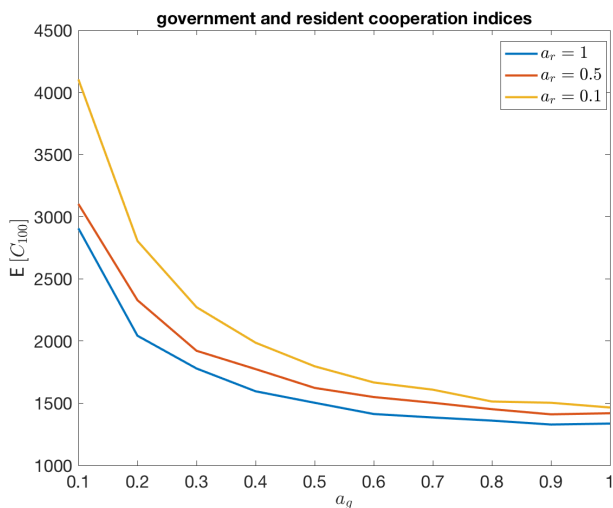


Fig. 6. Average total cost as a function of government cooperation index  $a_g$  for different resident cooperation indices  $a_r$ .

## V. CONCLUSIONS

In this paper, we presented a proactive government model for the sea level rise problem in a city environment considering the impacts from nature and residents. The proactive government, which learns the optimal infrastructure investment policy (yes or no at each time step) through reinforcement learning to minimize the expected economic cost over time, monitors the sea level state together with the infrastructure state, and makes an infrastructure investment to alleviate the effects of sea level rise problem whenever the expected future cost of no investment exceeds the immediate cost of investment. This proactive strategy was shown to greatly outperform the straightforward investment policy which improves the infrastructure in the aftermath of a serious economic cost from the nature. We also demonstrated that the average total cost can be significantly reduced as the government and residents become more cooperative in addressing the sea level rise problem. For the sea level rise amounts over time, different NOAA

projections are considered.

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